

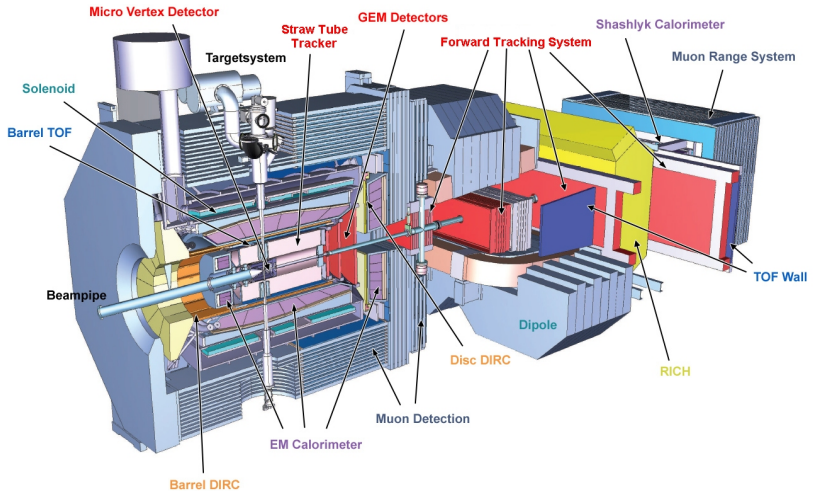
## Endcap Disc DIRC for PANDA at FAIR

Mustafa Schmidt, Klim Bigunenko, Michael Düren, Erik  
Etzelmüller, Klaus Föhl, Avetik Hayrapetyan, Oliver Merle,  
Julian Rieke

on behalf of the PANDA Cherenkov Group

FAIR 2015 - Novosibirsk, Russia

# PANDA Spectrometer



Source: <<http://www-panda.gsi.de>>

# Cherenkov Light

**Charged particles with speed higher than photon phase speed in medium emit Cherenkov light**

Equation of polar angle  $\theta_C$  for Cherenkov light cone:

$$\cos \theta_C = \frac{1}{n(\lambda)\beta}$$

with  $\beta = \sqrt{1 - 1/\gamma^2} = \sqrt{1 - E_0^2/E^2}$

Number of photons per track length according to Frank-Tamm-Formula:

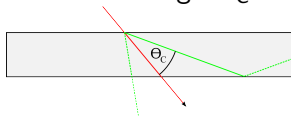
$$\frac{dN}{dx} = 2\pi\alpha z^2 \int_{\lambda_1}^{\lambda_2} \left( \frac{1}{\lambda^2} - \frac{1}{n^2(\lambda)\beta^2\lambda^2} \right) d\lambda$$

$$\alpha \approx 1/137$$

$z$ : charge number of particle

Refractive index  $n$  normally a function of wavelength  $\lambda$  (dispersion)

Cherenkov Angle  $\theta_C$ :

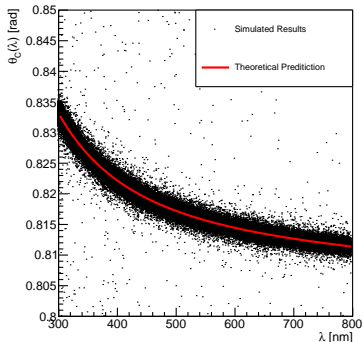


# Photon Prediction

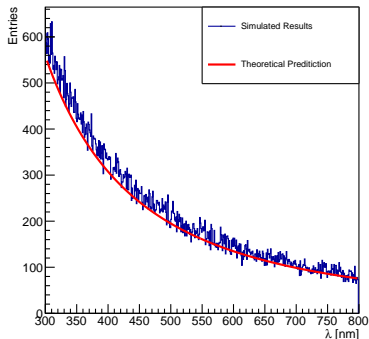
Theoretical prediction for 100  $\pi^+$  with momentum  $p = 4 \text{ GeV}/c$  compared to simulated results with Geant4/PandaRoot

Material thickness:  $\Delta x = 2 \text{ cm}$

Cherenkov Angle



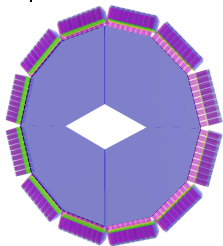
Number of photons



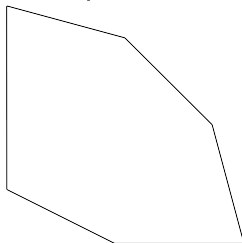
Average photon amount per event:  $n = 1103$  for  
 $\lambda = 300 \dots 800 \text{ nm}$

# Disc DIRC Detector

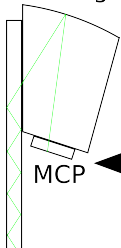
Complete Disc DIRC



4 Quadrants



108 Focusing Elements

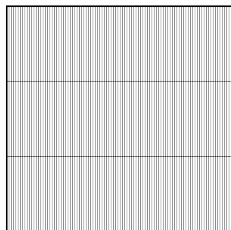


3 Focusing Elements  
combined to 1 ROM

MCP

1 MCP per ROM

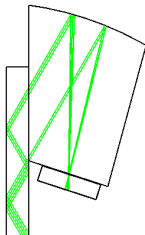
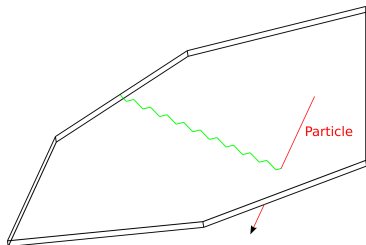
MCP Anode Segmentation



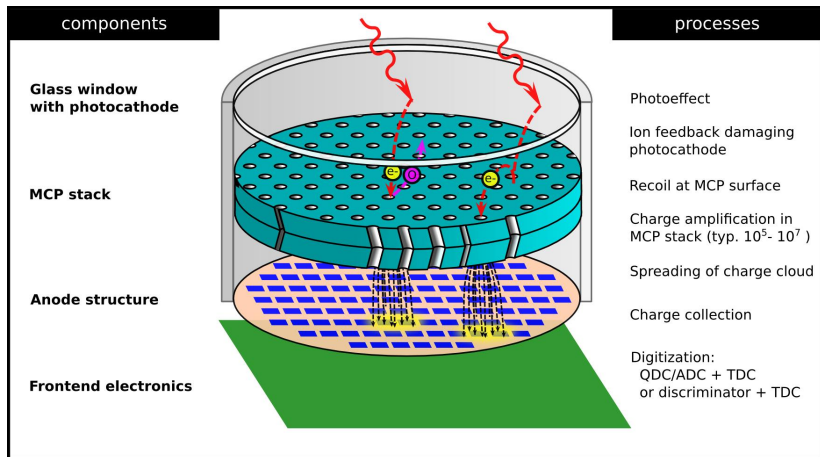
100 pixel per row

# Radiator Disk and Focusing Element

- Internal reflection of light inside radiator disk
- Cylindrical mirror on backside of focusing element for light focusing on readout plane
- Parallel photons focused on one spot
- Photons with different angles focused on different points



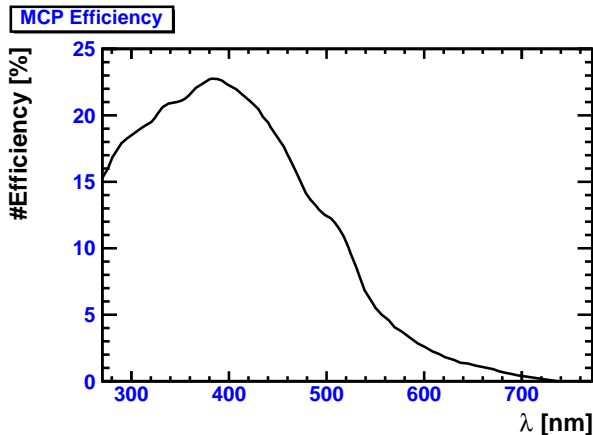
# Microchannel Plate PMT



Source: Merle, Oliver: Development, design and optimization of a novel Endcap DIRC for PANDA, Phd Thesis, JLU Giessen, 2015

# Quantum Efficiency

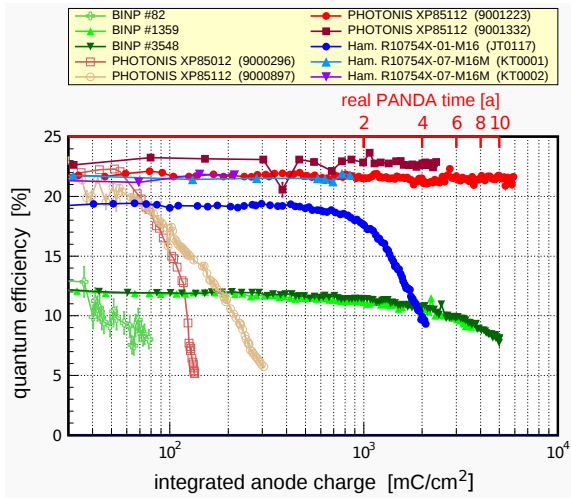
Collection efficiency approx. 30% (varying for different MCP-PMTs)



Product of quantum efficiency and collection efficiency equal to probability to detect photon (detection efficiency)



# MCP Lifetime



Source: Lehmann, A. et al.: Improved lifetime of microchannel-plate PMTs. Nucl. Instr. and Meth. A, (0):-, 2014.

127, 128, 129

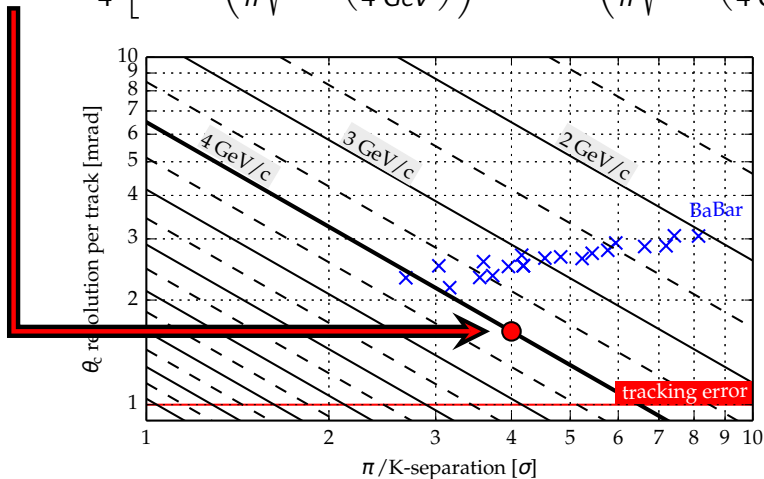
# Detector Requirements

|                                   |   |
|-----------------------------------|---|
| Separation power ( $\pi$ , $K$ ): | $\geq 4\sigma$  |
| Momentum coverage:                | 1.5 ... 4 GeV/c   |
| Polar acceptance min/max:         | $\theta_x = 10^\circ$ , $\theta_y = 5^\circ$<br>$\theta_{x,y} = 22^\circ$ |
| Detector lifetime:                | $\geq 10$ years in duty cycles of 6 m/y                                   |
| Distance to intersection point:   | $\approx 194$ cm in front of EM calorimeter                               |
| Magnetic field:                   | 0.5 ... 1.3 T   |
| Energy deposit in radiator:       | $\approx 500$ Gy for fused silica   |
| Energy deposit in optics:         | $\approx 10$ Gy for fused silica  |
| Charged hadron flux:              | $\approx 100$ Hz/cm <sup>2</sup> ( $E_{kin} > 10$ MeV)                    |

# Required Resolution

Calculation of required resolution for 4- $\sigma$ -separation-power:

$$\sigma_{\theta_c} \leq \frac{1}{4} \cdot \left[ \arccos \left( \frac{1}{n} \sqrt{1 + \left( \frac{m_\pi}{4 \text{ GeV}} \right)^2} \right) - \arccos \left( \frac{1}{n} \sqrt{1 + \left( \frac{m_K}{4 \text{ GeV}} \right)^2} \right) \right]$$



# Effects on Photon Transport

- Photon trapping inside radiator due to internal reflection (approx. 70 % constant for  $\theta > 10^\circ$ )
- Chromatic dispersion influencing photon resolution and time of propagation:

$$t_{prop} = \frac{s}{v} = \frac{s}{c} \left( n - \lambda \frac{dn}{d\lambda} \right)$$

- Bulk losses of photons described by Beer-Lambert law:

$$I = I_0 \exp \left( \frac{x}{-\mu(\lambda)} \right)$$

- Fresnel and surface losses after  $N$  reflections due to surface roughness:

$$I = I_0 \cdot R^N \quad \text{with} \quad R = 1 - (4\pi \cos \theta_i R_q n / \lambda)^2$$

- Losses in filter due to spin vector rotation in strong magnetic field (Faraday effect)

Properties of chosen material:

- Large absorption length (less bulk losses)
- Small dispersion
- High radiation hardness

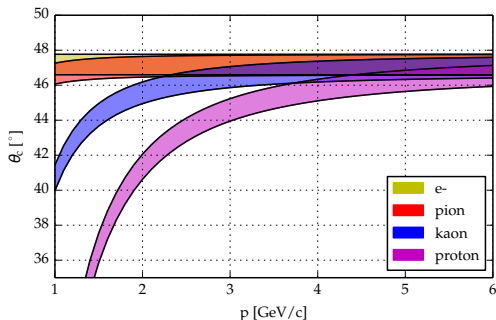
Reasons for using fused silica:

- Already tested at BaBar DIRC
- High transmission for small wavelength
- Well understood technology

*Disadvantage: High production cost for polished radiator disk at large scale*

# Cherenkov Angle Distributions

Cherenkov angle in fused silica:

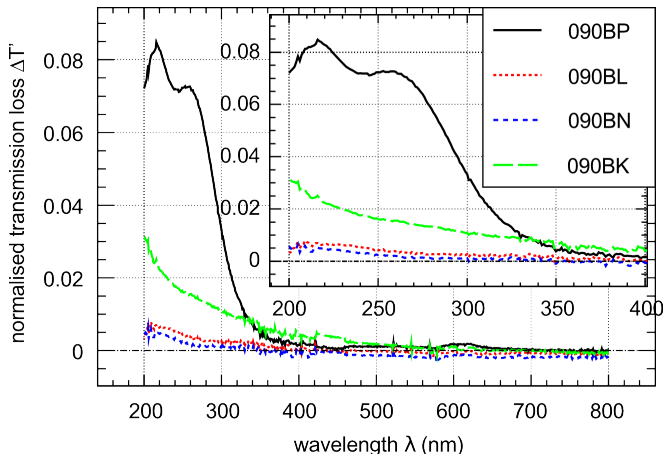


Possible solutions for band width reduction:

- Higher photon statistics
- Reduction of wavelength acceptance (optical filter)
- Correction of dispersion by achromatic optics
- Correction by means of photons time of flight

# Radiation Hardness

Transmission losses of fused silica after radiation with  $\gamma$ -dose of 100 krad:

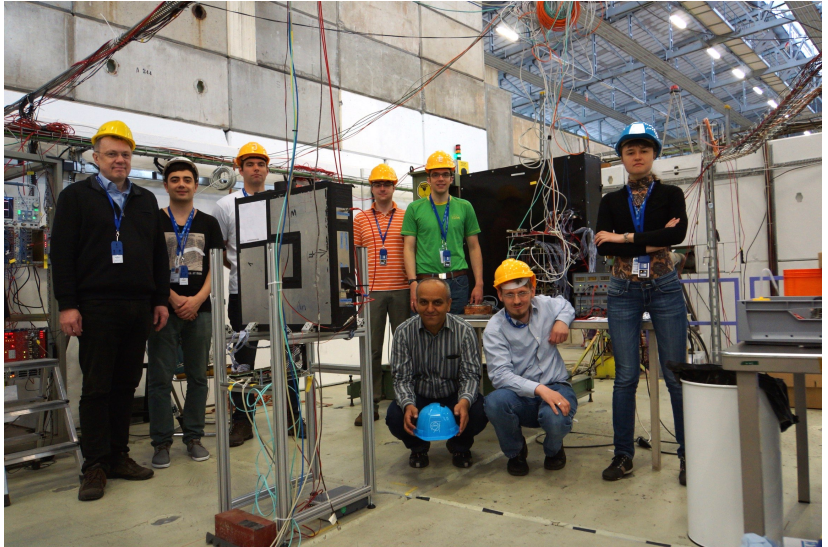


Source: Hoek, M.: Tailoring the radiation hardness of fused silica. Nucl. Instr. and Meth. A, 639(1):227 – 230,

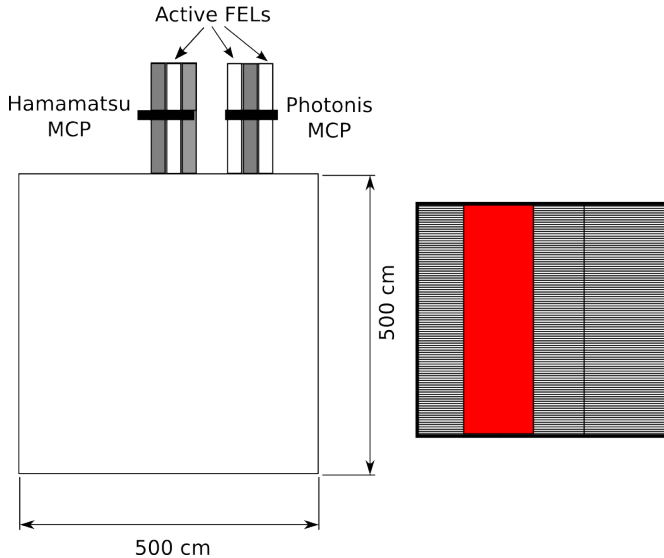
2011. 107

14/31

# CERN Testbeam

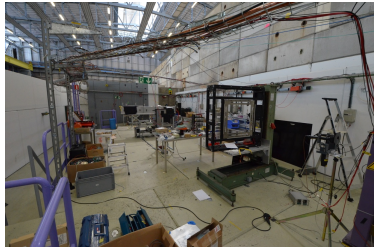
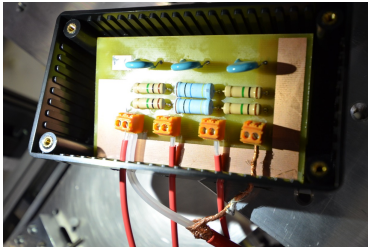
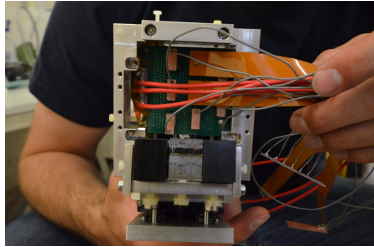
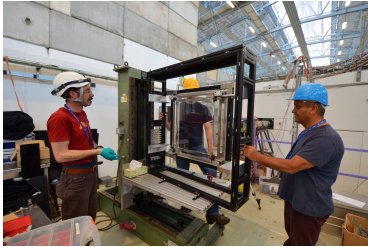






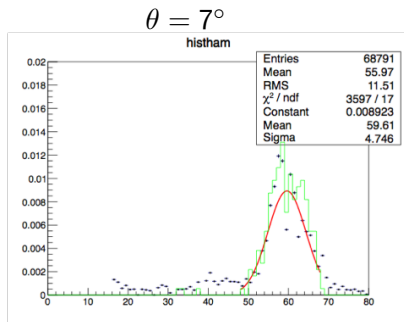
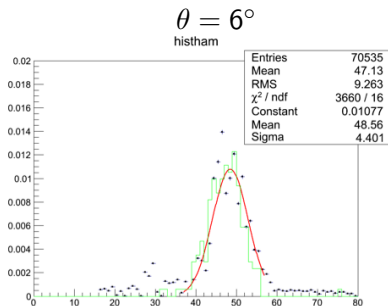
# Photos from Testbeam Setup

Testbeam at CERN in May 2015 with 3 FELs and 2 MCPs:



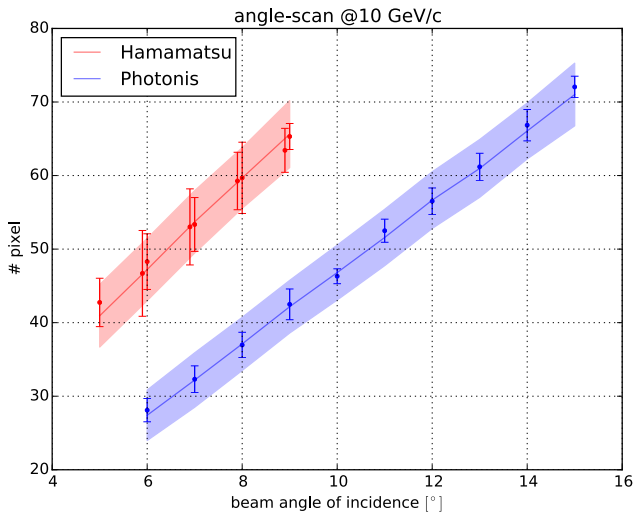
# Testbeam Results

Pixel distribution with Monte-Carlo data (green) and testbeam measurements (black) for polar angles. . .



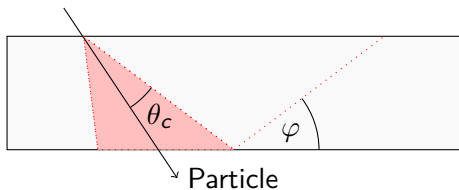
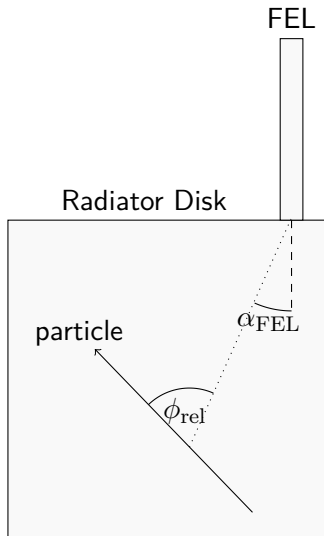
Source: Etzelmüller, Erik: DIRC 2015

# Testbeam Results

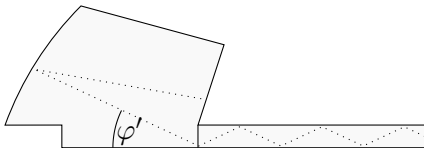


Source: Etzelmüller, Erik: DIRC 2015

## Angle Definitions:



$$\tan \varphi' = \frac{\tan \varphi}{\tan \alpha_{FEL}}$$



Calculation of the Cherenkov angle:

$$\theta_c = \arccos(\sin \theta_p \cos \phi_{rel} \cos \varphi + \cos \theta_p \sin \varphi) \quad (1)$$

- $\theta_p$ :  $\theta$  angle of particle
- $\phi_{rel}$ : angular difference between  $\phi$  angle of particle and photon
- $\varphi$ : Angle between total reflected photon and radiator disk surface

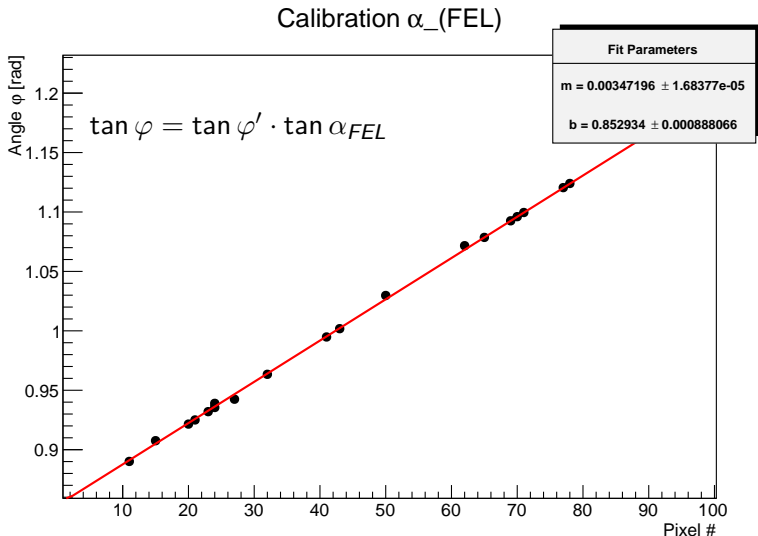
Calculation of  $\varphi$  if  $\theta_c$  is known:

$$\cos \varphi = \frac{A \cos \theta_c}{B} \pm \sqrt{\frac{\cos^2 \theta_p - \cos^2 \theta_c}{B} + \left(\frac{A \cos \theta_c}{B}\right)^2} \quad (2)$$

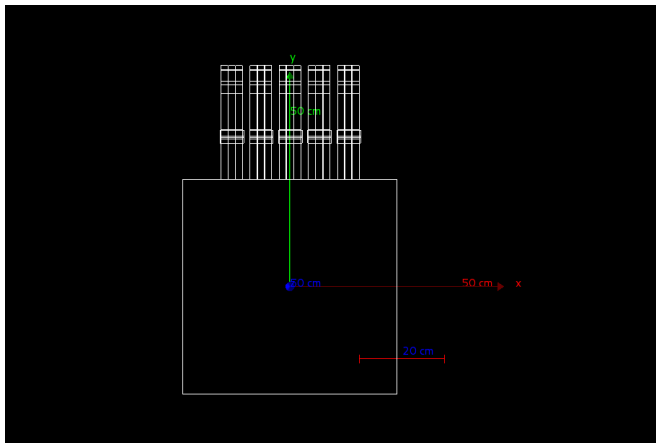
with  $A = \sin \theta_p \cos \phi_{rel}$  and  $B = A^2 + \cos^2 \theta_p$

# Calibration

Correlation between pixel number and angle  $\varphi'$ :



Test simulations with new Disc DIRC prototype in Geant4:



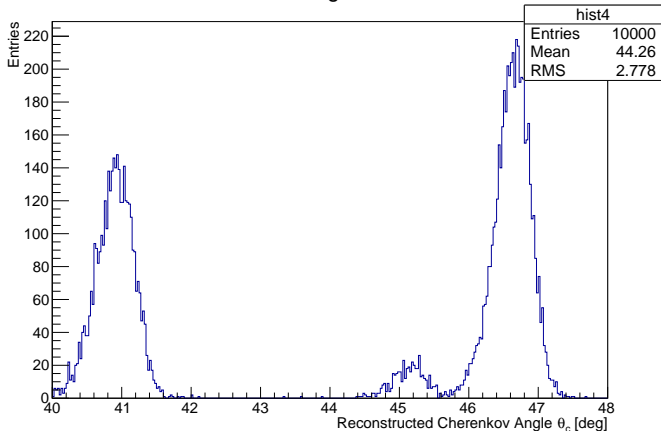


# Reconstruction of Cherenkov Angles

Testbeam simulations with 55%  $\pi^+$ , 30%  $p$ , 5%  $K$

Beam momentum:  $p = 2 \text{ GeV}/c$  (diameter: 2 cm uniform)

Cherenkov Angle Distribution



Reconstruction results without removing outliers

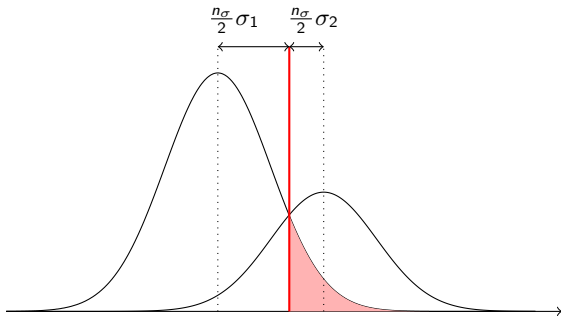
# Separation Power

Calculation of separation power for  $p = 3 \text{ GeV}/c$ :

$$n_\sigma = \frac{\bar{\theta}_{c,\pi} - \bar{\theta}_{c,k}}{\frac{1}{2}(\sigma_{\bar{\theta}_{c,\pi}} + \sigma_{\bar{\theta}_{c,k}})} = 2.9$$

Probability for misidentification:

$$P_{\text{misid}}(n_\sigma) = \frac{1}{2} \left[ 1 - \text{erf} \left( \frac{n_\sigma}{2 \cdot \sqrt{2}} \right) \right] = 7.1 \%$$



# Reconstruction & PID Algorithm

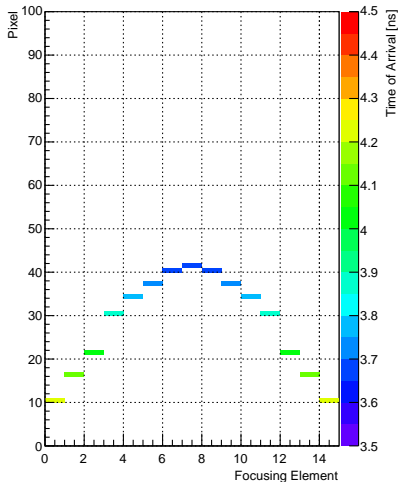
- Input parameters:
  - Particle momentum vector  $\vec{p}$
  - Particle angle and position  $(\theta_p, \phi_p, x, y)$
  - Hit pattern  $(z_i, t_i, \text{sensor id})$
  - Mass hypotheses  $(m_\pi, m_K, m_p)$
- Calculation of all possible photon paths
- Computation of theoretical hit pattern and time of propagation
- Removing unwanted bhits with  $|z - z_{pred}| < z_{thresh}$
- Matching of arrival times and removing of outliers:  
 $|t - t_{pred}| < t_{thres}$
- Assuming gaussian probability density function and calculating pseudo likelihood function for each hypothesis:

$$\ln \mathcal{L} = \sum_{i=0}^N [\ln \mathcal{L}(z_i | z_{pred,i}; \sigma_z) + \ln \mathcal{L}(t_i | t_{pred,i}; \sigma_t)]$$

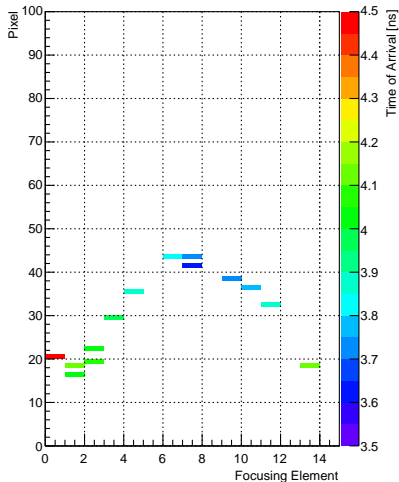
# Example for Hit Pattern Prediction

Particle:  $\pi^+$ , momentum  $p = 4 \text{ GeV}/c$ , polar angle  $\theta = 10^\circ$ , azimuth angle  $\phi = 0^\circ$

Theoretical Hit Pattern



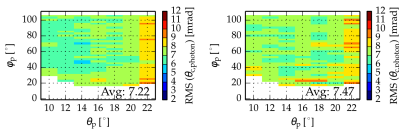
Simulated Hit Pattern



Simulation parameters for final detector with TOFPET readout system:

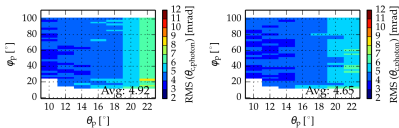
- Material: Fused silica (definition of refractive index, absorption length and reyleigh length)
- Mirror coating
  - Type: Dielectric metal
  - Gaussian scatter angle: 0.6 mrad
  - Reflectivity: 85%
- Time resolution (RMS): 21 ps
- TDC binning (LSB): 50 ps
- Pixel line height: 0.5 mm
- Surface roughness: 1.0 nm
- Track position error  $\sigma_{x,y}$ : 1.0 mm
- Track angular error  $\sigma_{\theta_p, \phi_p}$  : 1 mrad

## RMS values



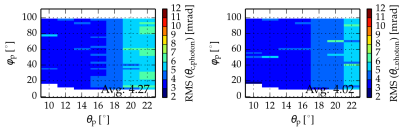
(a)  $\pi$  at 2 GeV/c

(b) K at 2 GeV/c



(c)  $\pi$  at 3 GeV/c

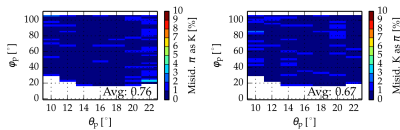
(d) K at 3 GeV/c



(e)  $\pi$  at 4 GeV/c

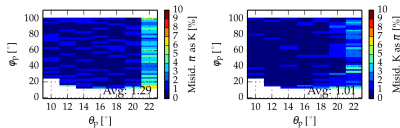
(f) K at 4 GeV/c

## Misidentification for $\pi$ and K



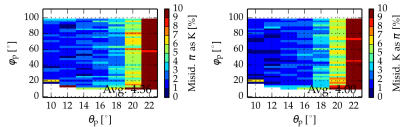
(a)  $\pi$  at 2 GeV/c

(b) K at 2 GeV/c



(c)  $\pi$  at 3 GeV/c

(d) K at 3 GeV/c



(e)  $\pi$  at 4 GeV/c

(f) K at 4 GeV/c

Source: Merle, Oliver: Development, design and optimization of a novel Endcap DIRC for PANDA, Phd Thesis, JLU Giessen, 2015

- Full simulation (Geant4/PandaRoot), reconstruction and PID algorithm available
- Disc DIRC prototype with 15 FELs development in progress
- Possibilities for testing in cosmics test stand at University of Giessen and test beam facilities (DESY, Jülich, CERN etc.)
- Influences of magnetic fields have to be studied further
- Photon yields of simulation and measurement must be analyzed

**Thank you very much  
for your attention!**